

I believe a better combinatorial and representation-theoretic understanding of the vertices should be possible. In particular, we have the following

### Conjecture

For any partitions  $\lambda, \mu, \nu$ , the vertex is a polynomial in  $q$ .

*Just one of many natural open questions*

# Second world of mathematics

outside academia,  
in industry

→ Mathematics as  
a technology

Is it pure or applied?

Project W-foundation in 1999

What are the graduates in Math in  
Germany intending to do?

Did their dreams come true until  
today?

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1600 did a diploma or master  
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Only 10% work in academia  
but 80% work as  
software designers, in R&D, in  
banks and insurances, in consulting

Do they do Math?

Yes, but one third of them  
or 25% of all graduates  
Mathematics is the midwife, not

In the second world,  
as many people do  
mathematics as in  
the first world

— but mainly applied math.

They cannot drift apart from  
pure math, since there is very little  
between the 2 worlds

This is bad:

- For the second world, since it would urgently need good universities, which deals with their problems
- For the first world, since 'Math as a Technology' offers a great number of challenges, add public prestige, money and attracts students

**Both worlds need  
each other!**